

# **LOREN:** Logic-Regularized Reasoning for Interpretable Fact Verification

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#### Introduction

#### The Fact Verification Task (FEVER)

Verifying the veracity of a textual claim with evidence from trustworthy knowledge bases (e.g., Wikipedia).

- Misinformation detection on social media
- Factually accurate language generation

Donald J. Trump 🥑 @realDonaldTrump I won the Election!



But... Why?

### **\*Interpretable Fact Verification**

- Right answer for the right thinking
- Interpretability "may be" the right thinking
  - Faithful: able to explain the prediction
  - Accurate: should be right per se
  - Debuggable: able to find out where goes wrong

### \*The Research Problem:

- How can we do it without supervision?

### **Motivation from Humans**

Claim: c Donald Trump won the 2020 election.

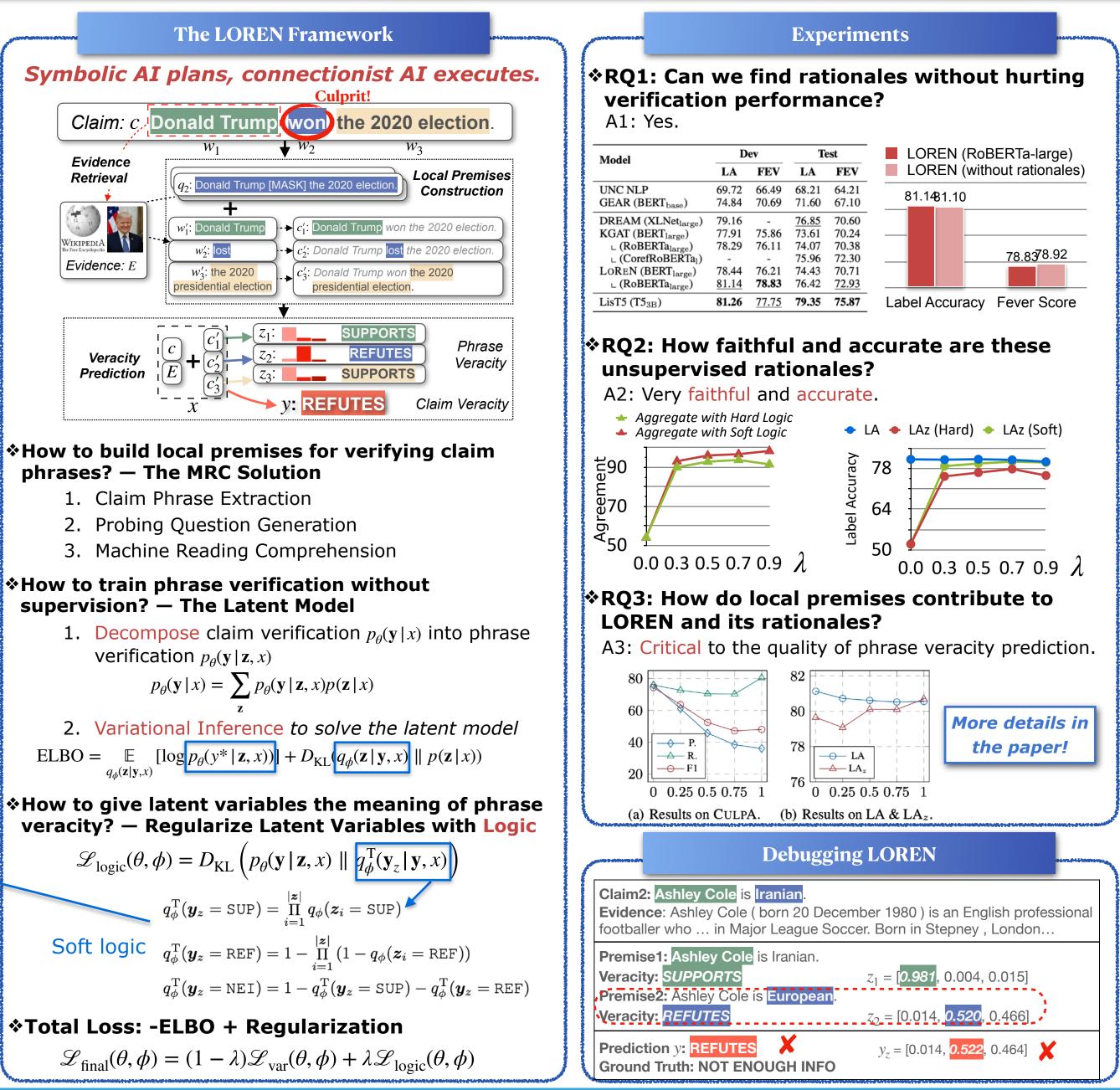
We carefully examine each phrase in a claim one by one.

- Did Donald Trump win the election in [2020]?
- Did Donald Trump win the **[U.S.]** presidential election in 2020?
- We aggregate the verification results of each phrase following aggregation logic, i.e. a claim is found
  - **Supported** iff all phrases found supported;
  - **Refuted** iff exists a phrase found refuted;
  - NEI iff not refuted and exists a phrase found unverifiable.

### Contribution

♦ We propose LOREN for interpretable fact verification.

**♦**To solve **The Research Problem**, we decompose claim verification at phrase-level, and **build local premises** from evidence to support phrase veracity prediction, regularized by logical rules.



## phrases? — The MRC Solution

#### How to train phrase verification without supervision? — The Latent Model

$$p_{\theta}(\mathbf{y} \,|\, x) = \sum p_{\theta}(\mathbf{y} \,|\, \mathbf{z}, x) p(\mathbf{z} \,|\, x)$$

$$\mathscr{L}_{\text{logic}}(\theta, \phi) = D_{\text{KL}} \left( p_{\theta}(\mathbf{y} | \mathbf{z}, x) \parallel q_{\phi}^{\text{T}}(\mathbf{y}_{z} | \mathbf{y}, q_{\phi}^{\text{T}}(\mathbf{y}_{z} = \text{SUP}) = \prod_{i=1}^{|\mathbf{z}|} q_{\phi}(\mathbf{z}_{i} = \text{SUP}) \right)$$
off logic  $q_{\phi}^{\text{T}}(\mathbf{y}_{z} = \text{REF}) = 1 - \prod_{i=1}^{|\mathbf{z}|} (1 - q_{\phi}(\mathbf{z}_{i} = \mathbf{z}))$ 

$$\boldsymbol{y}_{\phi}^{\mathrm{T}}(\boldsymbol{y}_{z}=\texttt{NEI})=1-q_{\phi}^{\mathrm{T}}(\boldsymbol{y}_{z}=\texttt{SUP})-1$$

**\***Total Loss: -ELBO + Regularization

If you have any questions, please email: jjchen19@fudan.edu.cn